



# **Energy-Efficient Resource Allocation Algorithm in the UAV-enabled Data and Energy Integrated Network**

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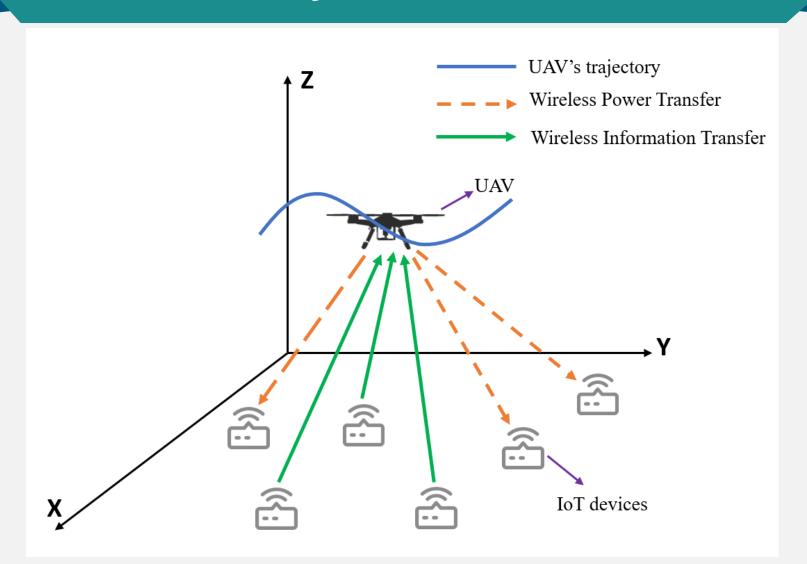


#### **Presenter**

**Yang Wang** has received the B.Eng. degree in integrated circuit design and integrated system from Nantong University, Jiangsu, China, in 2016. He is currently pursuing the Ph.D. degree with the School of Information and Communication Engineering, University of Electronic Science and Technology of China (UESTC), Sichuan, China. His research mainly focuses on Internet of Things (IoT) and the Data and Energy Integrated Network (DEIN).



## **System Model**





#### **Problem Formulation**

$$\min_{O.A.\Xi} E_{cons} \tag{4-16}$$

$$s.t.a_k(t) = \{0, 1\}, \forall k \in \mathcal{K}, t \in \mathcal{M}$$
 (4-16a)

$$\sum_{k=1}^{K} a_k(t) \le 1, \forall t \in \mathcal{M}$$
(4-16b)

$$0 \le \xi_k(t) \le 1, \forall k \in \mathcal{K}, t \in \mathcal{M}$$
 (4-16c)

$$\sum_{t=1}^{M} a_k(t) r_k(t) \left(1 - \xi_k(t)\right) \Delta \tau \ge D_k, \forall k \in \mathcal{K}$$
(4-16d)

$$E_{k}(m) - \sum_{t=1}^{m} a_{k}(t) \left(1 - \xi_{k}(t)\right) P_{k} \Delta \tau \ge \epsilon_{k}, \forall k \in \mathcal{K}, m \in \mathcal{M}$$
 (4-16e)

$$\|q(t) - q(t-1)\| \le v_{h,max} \Delta \tau, \forall t \in \mathcal{M}$$
 (4-16f)

$$\min_{Q} E_f \tag{4-17}$$

$$s.t. \sum_{t=1}^{M} a_k(t) r_k(t) \left(1 - \xi_k(t)\right) \Delta \tau \ge D_k, \forall k \in \mathcal{K}$$

$$(4-17a)$$

$$E_{k}(m) - \sum_{t=1}^{m} a_{k}(t) (1 - \xi_{k}(t)) P_{k} \Delta \tau \ge \epsilon_{k}, \forall k \in \mathcal{K}, m \in \mathcal{M}$$
 (4-17b)

$$\|q(t) - q(t-1)\| \le v_{h,max} \Delta \tau, \forall t \in \mathcal{M}$$
 (4-17c)

$$\min_{A} E_{c} \tag{4-28}$$

$$s.t.a_k(t) = \{0,1\}, \forall k \in \mathcal{K}, t \in \mathcal{M}$$
 (4-28a)

$$\sum_{k=1}^{K} a_k(t) \le 1, \forall t \in \mathcal{M}$$
 (4-28b)

$$\sum_{t=1}^{M} a_k(t) r_k(t) \left(1 - \xi_k(t)\right) \Delta \tau \ge D_k, \forall k \in \mathcal{K}$$
(4-28c)

$$E_{k}(m) - \sum_{k=0}^{m} a_{k}(t) (1 - \xi_{k}(t)) P_{k} \Delta \tau \ge \epsilon_{k}, \forall k \in \mathcal{K}, m \in \mathcal{M}$$
 (4-28d)

$$\min_{\Xi} E_c \tag{4-32}$$

$$s.t.0 \le \xi_k(t) \le 1, \forall k \in \mathcal{K}, t \in \mathcal{M}$$
 (4-32a)

$$\sum_{t=1}^{M} a_k(t) r_k(t) \left(1 - \zeta_k(t)\right) \Delta \tau \ge D_k, \forall k \in \mathcal{K}$$
(4-32b)

$$E_{k}(m) - \sum_{t=1}^{m} a_{k}(t) (1 - \xi_{k}(t)) P_{k} \Delta \tau \ge \epsilon_{k}, \forall k \in \mathcal{K}, m \in \mathcal{M}$$
 (4-32c)

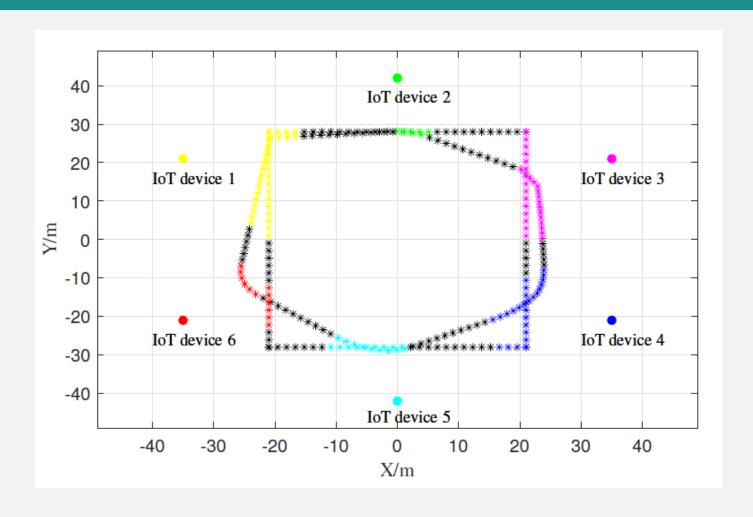


### **Overall Algorithm**

```
Input: A^0, \Xi^0, r = 0, \varepsilon, r_{max};
Output: Q^*, A^* and \Xi^*;
while \left|\frac{E_{cons}^r - E_{cons}^{r-1}}{E^{r-1}}\right| > \varepsilon and r \le r_{\max}, do
Slove subproblem (27) for given \{A^r, \Xi^r\} and obtain Q^{r+1};
Slove subproblem (28) for given \{Q^{r+1}, \Xi^r\} and obtain
A^{r+1};
Slove subproblem (29) for given \{Q^{r+1}, A^{r+1}\} and obtain
\Xi^{r+1};
Update r = r + 1;
end
return Q^*, A^* and \Xi^*.
```

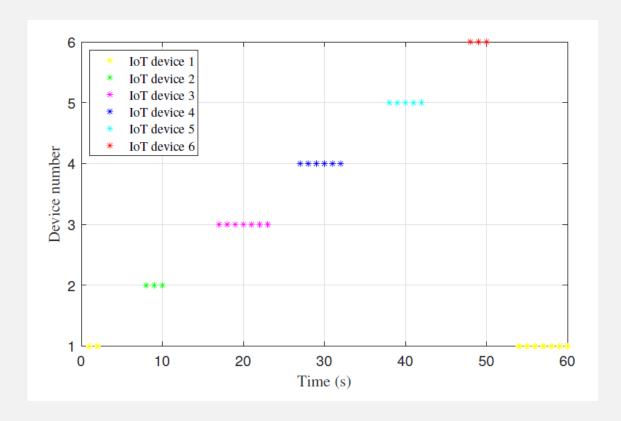


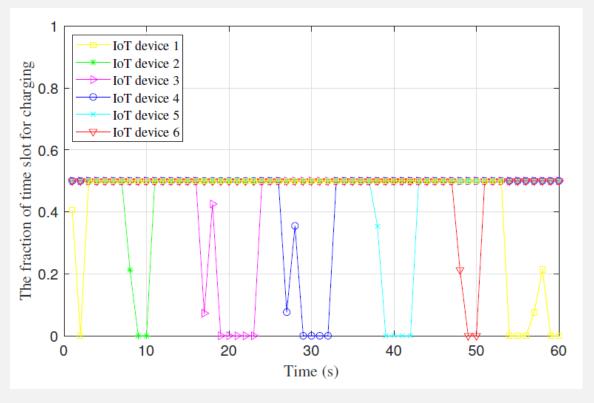
#### **Simulation Results**





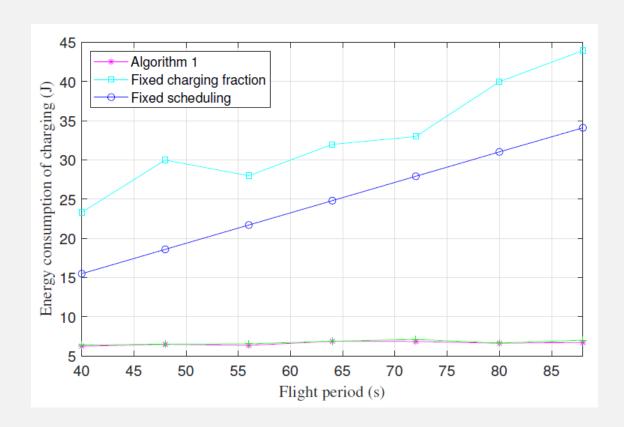
#### **Simulation Results**

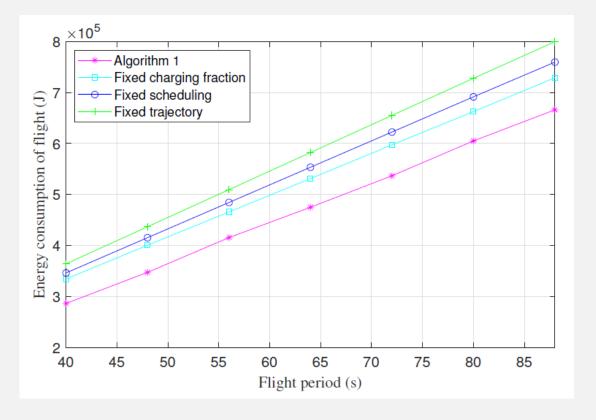






#### **Simulation Results**







# Thank you!

